Image: Norwegian University of Science and Technology

Operating Systems

Theoretical Exercise 6: Solutions

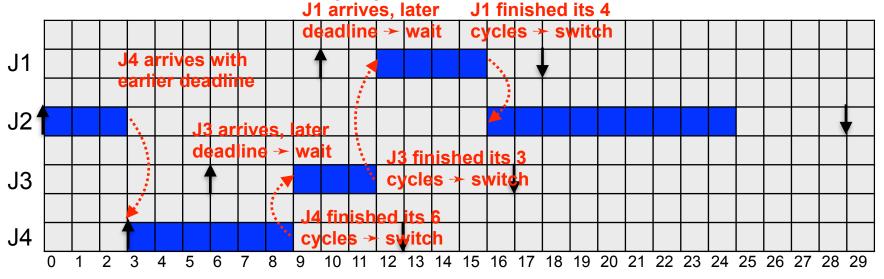
Michael Engel

6.1 EDF scheduling

Suppose that we have a set of four jobs. Release times r_i, deadlines Di, and execution times C_i are as follows: (*Deadlines are given as absolute time!*)

- J1: r1=10, D1=18, C1=4
- J2: r2=0, D2=28, C2=12
- J3: r3=6, D3=17, C3=3
- J4: r4=3, D4=13, C4=6

Generate a graphical representation of schedules for this job set, using the earliest deadline first (EDF) scheduling algorithm.



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6.2 Rate-monotonic scheduling

Suppose that we have a system comprising two tasks. Task 1 has a period of 5 and an execution time of 2. The second task has a period of 7 and an execution time of 4. Let the deadlines be equal to the periods. Assume that we are using rate monotonic scheduling (RMS).

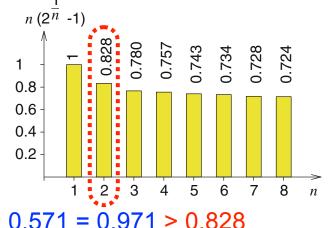
a. Could any of the two tasks miss its deadline, due to a too high processor utilization?

b. Compute this utilization, and compare it to a bound which would guarantee schedulability! $\frac{1}{r(2\frac{1}{n}-1)}$

Necessary RMS condition:

n

For a single processor and for *n* tasks, the accumulated utilization U_{sum} does not exceed the following bound ($T_i = D_i$ for RMS!)



$$U_{sum} = \sum_{i=1}^{n} \frac{C_i}{T_i} \le n(2^{1/n} - 1) = 2/5 + 4/7 = 0.4 + 0.571 = 0.971 > 0.828$$

=> schedulability cannot be guaranteed, a task could miss its deadline!

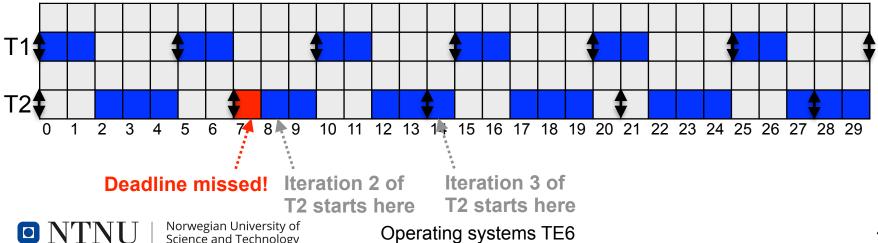
Operating systems TE6

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c. Generate a graphical representation of the resulting schedule! Suppose that tasks will always run to their completion, even if they missed their deadline.

For RMS, the priority of tasks is a monotonically decreasing function of their period => a task with lower priority is preempted when a task with higher priority arrives: T1 has the higher priority and can preempt T2



6.3 Priority inversion

Let **C**, **Name** C be three tasks with priorities A=1 (highest), B=3, C=5 (low Second Diversity of Second Diversity of Second Diversity of Use a shared resource (e.g. shared memory) protected by a semaphore. The execution of the tasks is shown in fig. 1:

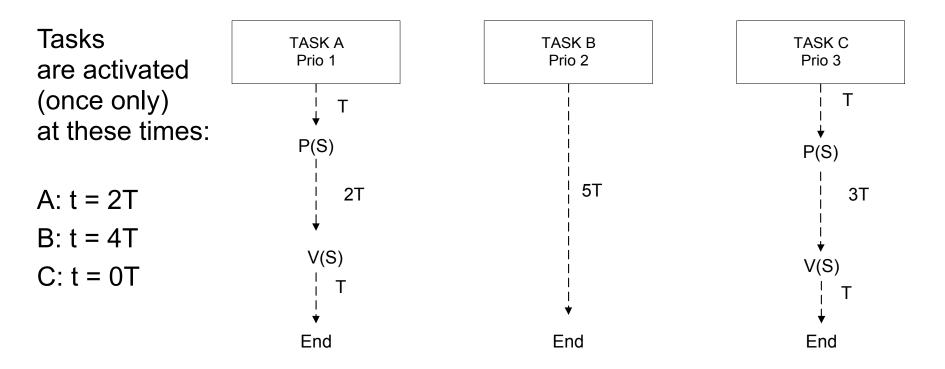
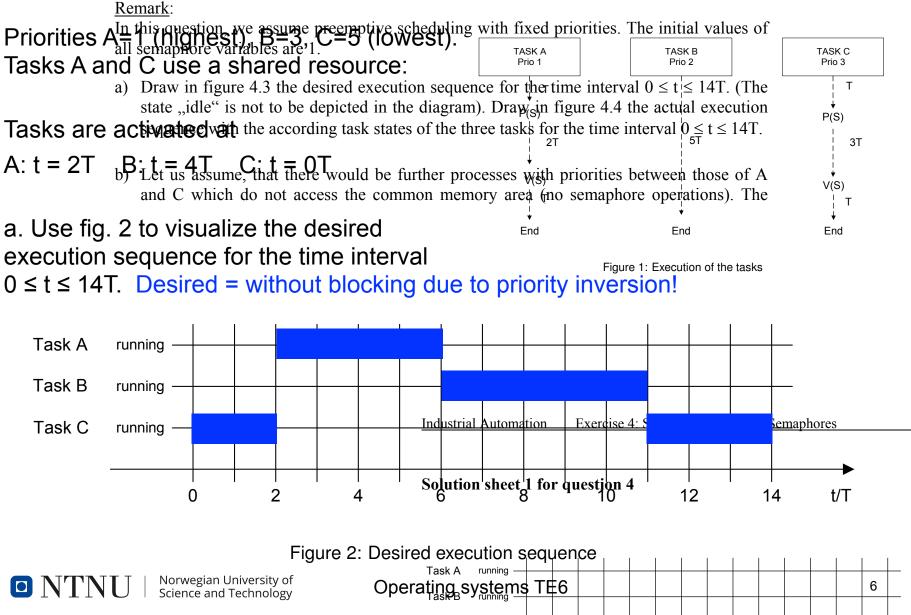


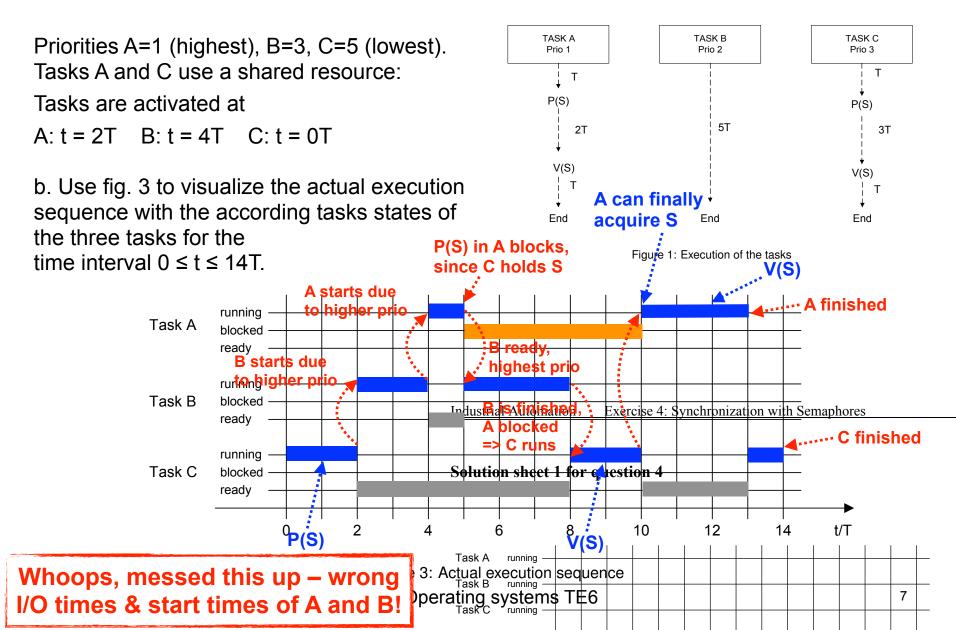
Figure 1: Execution of the tasks



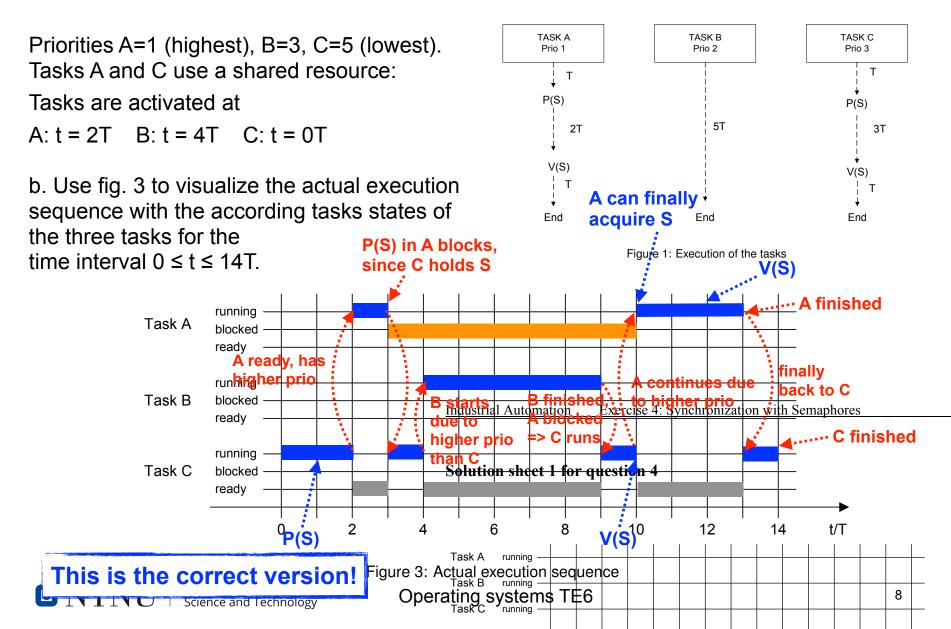
task A: t = 2T6.3 Priority inversion



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6.3 Priority inversion

Priorities A=1 (highest), B=3, C=5 (lowest). Tasks A and C use a shared resource

c. Assume there are additional tasks with priorities between those of A and C which do not access the shared resource (no semaphores used). These tasks' individual priorities and execution times are not known. How long would the high priority task A be delayed in the worst case, then?

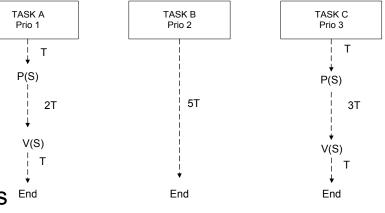


Figure 1: Execution of the tasks

Additional tasks with priorities between A and C can delay the execution of task C further => the absolute point in time at which Gurale ases semaphore S is delayed

Accordingly, A could be delayed for an applittion shart ounter the time

